

A solution NMR study showing that active site ligands and nucleotides directly perturb the allosteric equilibrium in aspartate transcarbamoylase

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Contributed by Howard K. Schachman, April 11, 2007 (sent for review March 16, 2007)

The 306-kDa aspartate transcarbamoylase is a well studied regulatory enzyme, and it has emerged as a paradigm for understanding allostery and cooperative binding processes. Although there is a consensus that the cooperative binding of active site ligands follows the Monod–Wyman–Changeux (MWC) model of allostery, there is some debate about the binding of effectors such as ATP and CTP and how they influence the allosteric equilibrium between R and T states of the enzyme. In this article, the binding of substrates, substrate analogues, and nucleotides is studied, along with their effect on the R–T equilibrium by using highly deuterated, ^1H , ^{13}C -methyl-labeled protein in concert with methyl-transverse relaxation optimized spectroscopy (TROSY) NMR. Although only the T state of the enzyme can be observed in spectra of wild-type unliganded aspartate transcarbamoylase, binding of active-site substrates shift the equilibrium so that correlations from the R state become visible, allowing the equilibrium constant (L') between ligand-saturated R and T forms of the enzyme to be measured quantitatively. The equilibrium constant between unliganded R and T forms (L) also is obtained, despite the fact that the R state is “invisible” in spectra, by means of an indirect process that makes use of relations that emerge from the fact that ligand binding and the R–T equilibrium are linked. Titrations with MgATP unequivocally establish that its binding directly perturbs the R–T equilibrium, consistent with the Monod–Wyman–Changeux model. This study emphasizes the utility of modern solution NMR spectroscopy in understanding protein function, even for systems with aggregate molecular masses in the hundreds of kilodaltons.

allostery | Monod–Wyman–Changeux (MWC) model | NMR spectroscopy | methyl-transverse relaxation optimized spectroscopy | ligand binding

Quantitative, site-specific studies of proteins by NMR spectroscopy for the most part have been restricted to systems with molecular masses on the order of 50 kDa or less. With the development of new labeling schemes along with experiments that optimally preserve NMR signals, it now has become possible to investigate much larger complexes (1). For example, Wüthrich, Horwich, and coworkers have used ^1H – ^{15}N cross-correlated relaxation-induced polarization transfer (CRIPT) spectroscopy to establish which residues of highly deuterated GroES interact with GroEL in a GroES–GroEL complex that is 900 kDa (2) and to study interactions between substrates and GroEL (3). Sprangers and coworkers have exploited methyl-transverse relaxation optimized spectroscopy (TROSY) of ^1H , ^{13}C -methyl-labeled probes in the 300-kDa highly deuterated protease ClpP to quantify dynamics and relate it to function (4). In a second study, this methyl-based approach has been used to measure site-specific dynamics in the 20S proteasome (670 kDa) along with binding to target molecules (5).

The methodology that now is available opens the possibility for the study of a wide range of molecular machines in a site-specific and quantitative manner. One such fascinating molecule is the enzyme aspartate transcarbamoylase (ATCase), which catalyzes the first step in pyrimidine biosynthesis, the

reaction of aspartic acid and carbamoyl phosphate (CbmP) to form carbamoyl aspartate. It was observed many years ago that the plot of reaction velocity versus [aspartate] is not hyperbolic (i.e., does not follow standard Michaelis–Menten kinetics), but rather it is sigmoidal, indicating that binding of substrate is cooperative (homotropic effect) (6). Sedimentation studies showed that the 300-kDa enzyme is composed of two kinds of polypeptides (7): regulatory chains (r), of which there are six, where effectors such as ATP and CTP bind as well as six copies of catalytic chains (c) that form the substrate binding sites. X-ray results establish that the structure is made up of a dimer of catalytic trimers (c_3) along with three copies of regulatory domain dimers (r_2) (8). A large body of data on the enzyme has been obtained over the past 40 years that supports the idea that the homotropic effect can be explained by the Monod–Wyman–Changeux (MWC) model of allostery (9, 10). For an oligomeric protein with n binding sites, this model postulates the existence of two conformations in equilibrium, T and R, with the T form having a lower affinity for substrates (11). All of the chains within an oligomer are identical (i.e., all are either T or R), and all microscopic equilibrium dissociation constants for ligands are assumed to be the same. As more sites in the enzyme become bound with substrate, the equilibrium is shifted from the T state in the unliganded form toward R, producing an apparent increase in affinity and sigmoidal binding.

There is not a consensus, however, regarding binding of effectors (heterotropic effect). It has been argued that the MWC model also applies for binding of ATP and CTP, with preferential binding to the R and T states, respectively (9). In contrast, in a competing model, the binding of nucleotides to the regulatory chains is assumed to modify the relative affinities of R and T states for substrate without changing the R–T equilibrium *per se* (i.e., there are structural changes with R and T converted to R' and T' , respectively) (12). Small-angle x-ray scattering (SAXS) studies (13) have been interpreted in terms of the latter model, whereas ultracentrifuge experiments and binding data support the MWC model (9, 14).

In principle, solution NMR spectroscopy is a powerful monitor of binding, especially for micromolar to millimolar interactions, a range that is relevant for many of the ligand–ATCase

Author contributions: A.V., H.K.S., and L.E.K. designed research; A.V. and Y.R.Y. performed research; H.K.S. contributed new reagents/analytic tools; A.V. and L.E.K. analyzed data; and A.V. and L.E.K. wrote the paper.

The authors declare no conflict of interest.

Abbreviations: ATCase, aspartate transcarbamoylase; MWC, Monod–Wyman–Changeux; TROSY, transverse relaxation optimized spectroscopy; SAXS, small-angle x-ray scattering; jPM: HMQC, heteronuclear multiple quantum correlation; CbmP, carbamoyl phosphate; PAM, phosphonoacetamide; PALA, phosphonoacetyl-L-aspartate.

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This article contains supporting information online at www.pnas.org/cgi/content/full/0703347104/DC1.

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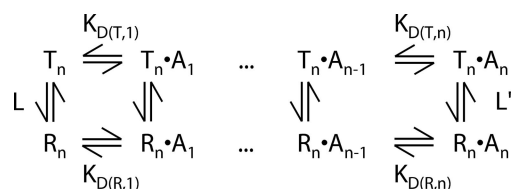


Fig. 1. MWC model of binding allostery. The protein is composed of n chains, all of which must be in the same state, T or R. Molecules in state T or R with j equivalents of bound ligand (A) are denoted by $T_n \cdot A_j$ or $R_n \cdot A_j$, respectively. The vertical equilibria represent T–R isomerization steps with $L = [T_n]/[R_n]$ and $L' = [T_n \cdot A_n]/[R_n \cdot A_n]$, whereas the horizontal equilibria correspond to binding or dissociation of ligand A (macroscopic dissociation constants $K_{D(T,j)}$ or $K_{D(R,j)}$). See Results and Discussion for further explanation.

complexes. Indeed, NMR studies of ATCase span several decades, with initial work monitoring relaxation rates and chemical shifts of substrates (or their analogues) and allosteric effectors to study ligand–enzyme interactions and ionization equilibria (15, 16). In addition, the enzyme was probed with ^{13}C spectroscopy of ^{13}C -labeled aromatic residues (17, 18), ^{19}F NMR of incorporated 3-fluorotyrosines (19) and ^1H NMR focusing on $^1\text{H}^\delta$ Tyr probes in a highly deuterated aromatic background (20). These studies concentrated on ligand binding and associated conformational changes and attempted to better define the catalytic mechanism of the enzyme. All of this work was performed with one-dimensional spectroscopy and often involved interpretation of low-intensity signals that suffered from overlap. Here, we significantly extend these studies by using two-dimensional ^1H , ^{13}C NMR spectroscopy of methyl groups that are sensitive and well resolved probes of molecular structure and ligand binding (21). We show that, despite the fact that only the T state of unliganded wild-type (WT) enzyme is observed in spectra, it nevertheless is possible to quantify the R–T equilibrium indirectly through a study of ligand binding. Results of binding of substrates, substrate analogues, and nucleotides are presented, with the observed shifts in R–T equilibria completely explained in terms of the MWC model. A model in which nucleotide binding does not affect equilibrium R–T ratios can be ruled out unequivocally.

Results and Discussion

Model of Ligand Binding and Conformational Changes. Fig. 1 shows the classic MWC model for ligand (A) binding to a protein that can exist in either R or T states (11). In the case of ATCase, binding may be to either c (substrate) or r (effector) sites, and six substrates/effectors can bind to each molecule (i.e., $n = 6$). Because each of the six c chains (or r chains) is assumed equivalent in this model, all microscopic dissociation constants for a given state are the same ($K_{D,R}^{\text{Micro}}$ and $K_{D,T}^{\text{Micro}}$ for states R and T, respectively) and $K_{D(T,j)} = j/(n - j + 1)K_{D,T}^{\text{Micro}}$. The linked binding equilibria of Fig. 1 form a thermodynamic cycle so that $L' = c^n L$, where $L = [T_n]/[R_n]$, $L' = [T_n \cdot A_n]/[R_n \cdot A_n]$, and $c = K_{D(R,j)}/K_{D(T,j)} = K_{D,R}^{\text{Micro}}/K_{D,T}^{\text{Micro}}$. Because of its inherent simplicity, the MWC model has been used to explain ligand binding in many cooperative systems (11), and in the case of ATCase, a large body of accumulated evidence over an extensive period supports this mode of binding (9). In principle, NMR spectroscopy is an extremely powerful tool for testing the model further and for obtaining definitive answers that are less forthcoming from other techniques. For example, with other biophysical approaches that do not probe specific sites independently but only report average properties, local effects attributable to substrate/effector binding cannot be separated from the accompanying global shifts in the R–T equilibrium. By contrast, we show below that changes in chemical shifts in the vicinity of binding sites in response to ligand binding provide sensitive reporters of ligand–protein

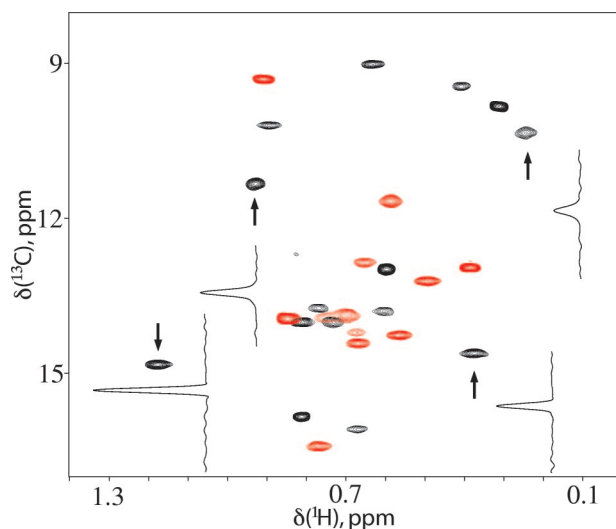


Fig. 2. Two-dimensional ^1H – ^{13}C correlation spectrum of ATCase. ^1H – ^{13}C methyl-TROSY correlation map of U-[^2H]Ile-[$\delta^{13}\text{C}_3$]-labeled ATCase (0.6 mM in monomer, 37°C, 800 MHz, 40-min total acquisition time). Traces through a number of cross-peaks are indicated to illustrate the sensitivity of the spectrum. Peaks from r and c chains are colored red and black, respectively. The “central part” of the spectrum is shown as an overlay of a pair of data sets with labeling confined to either r or c chains.

binding equilibria, whereas the concomitant appearance of separate resonances corresponding to both R and T states leads to definitive conclusions about the effects of ligand binding on the R–T equilibrium. This ability to “dissect” the complex equilibria of Fig. 1 has been exploited, for example, to establish conclusively that the nucleotide binding shifts the R–T ratio, a point that has remained controversial (13, 14).

Methyl-TROSY of ATCase. Fig. 2 shows a ^1H – ^{13}C methyl-TROSY heteronuclear multiple quantum correlation (HMQC) spectrum of U-[^2H]Ile-[$\delta^{13}\text{C}_3$]-labeled unliganded WT-ATCase recorded at 800 MHz (^1H frequency) in 40 min on a spectrometer equipped with a room-temperature probe head at 37°C (0.1 mM in complex, 0.6 mM in monomer). The high signal-to-noise ratio of the data set and the short measuring time required suggest that methyl groups will be valuable probes of molecular conformation and dynamics in this system, allowing the effects of a wide range of ligands to be studied in relatively short order. Further, because holoenzyme molecules can be assembled from r and c chains (with different NMR labeling patterns if desired) (19), it is possible to readily assign correlations to chain type and, where necessary, to study intact enzyme that is labeled in only one of the two chains. As Fig. 2 illustrates, the Ile region of the ^1H , ^{13}C correlation map of ATCase is well resolved, and by preparing samples with label confined to either r or c chains, it is possible to separate the two or three overlapping cross-peaks and to count all 27 correlations that originate from the 27 Ile residues in the molecule. Because in the absence of ligands the R–T equilibrium is shifted highly to T (9), the spectrum of Fig. 2 thus corresponds to that of the T state. Furthermore, because only a single correlation is observed for each Ile, each c (r) chain must be structurally identical or, alternatively, any differences in structure between chains must be averaged rapidly on the NMR chemical-shift time scale (i.e., fast exchange). Although it likely is possible that individual peaks could be assigned to specific sites in the protein by using approaches similar to those described in the context of our work on the proteasome (5), we have not done so here. Instead, we show that quantitative inferences about binding and allostery can be made simply by analysis of how

can be described by a simple hyperbolic isotherm with the extracted dissociation constant $K_{D,R}^{\text{Micro}}$ or $K_{D,T}^{\text{Micro}}$ (see *SI Text*). In contrast, titration curves derived from techniques that monitor contributions from both R and T states simultaneously must be analyzed by taking the complete reaction scheme into account (Fig. 1), and the resulting binding curves will be sigmoidal. Fig. 3*B* shows the titration of a correlation from WT-ATCase (*Left*) as a function of added PAM along with the corresponding titration for the same residue from cK164E, cE239K-ATCase (*Right*). All titration curves that derive from binding to either T (WT-ATCase) or R (cK164E, cE239K-ATCase; Fig. 3*C*) states of the enzyme were fit simultaneously to a simple $PA \rightleftharpoons P + A$ model. Excellent fits were obtained with this hyperbolic binding model, as expected. Values of $K_{D,T}^{\text{Micro}} = 3.8 \pm 0.3$ mM and $K_{D,R}^{\text{Micro}} = 1.8 \pm 0.1$ mM were extracted from fits of 8 and 10 titration curves, respectively, and by using these K_D^{Micro} values along with $L' = 3.4 \pm 1.2$ and the relation $L' = c^6L$ (see above), a value of 300 ± 190 is calculated for $L = [T_0]/[R_0]$ (Fig. 1), corresponding to $\Delta G_{T-R} = -3.5 \pm 0.4$ kcal/mol, which agrees well with a previously published value of $L = 250$ based on analytical ultracentrifugation (10) and less well with $L = 70$ obtained from SAXS (25). Thus, even though correlations from the R state cannot be observed in spectra of unliganded WT-ATCase, the relative populations of R and T still can be established, albeit indirectly, by using the linked binding equilibria of Fig. 1 and data obtained from titration of R and T states with ligand.

Effects of Ligand Binding to the Regulatory Chains. The presence of significant populations of both R and T conformers in the PAM-saturated enzyme (Fig. 3*A*) allows a straightforward determination of how effectors such as ATP and CTP perturb the R–T equilibrium. Fig. 4*A* shows examples of how the R–T equilibrium is shifted upon addition of MgATP (*Center*) or MgCTP (*Right*) starting from PAM-loaded WT-ATCase (*Left*). Although it is difficult to quantify precisely the shift upon addition of ATP, because the population of the T state becomes very low, changes in L' of 15- to 30-fold are estimated from spectra, leading to a decrease in L' from 3.4 ± 1.2 to 0.1–0.2. Conversely, the effect with CTP is opposite, with correlations from the R conformer disappearing completely from spectra. Such changes are in complete agreement with the MWC model of heterotropic effects, where binding of ATP to the R state is favored and binding of CTP to the T state is preferred.

The spectra of Fig. 4*A*, which were obtained with saturating amounts of PAM, could also be explained, however, under the assumption that MgATP binding does not affect the R–T equilibrium directly but rather promotes conformational changes in at least one of the states. These changes would lead to an increase in R state affinity for substrate Asp (12) or for its analogue succinate and by extension also for the CbmP analogue, PAM, and subsequent shifting of the R–T equilibrium only on substrate binding. The latter explanation was put forth to explain the results of SAXS experiments (13, 26). In particular, if this model were operative, we would expect to see significant changes in chemical shifts of probes in the c chain upon ATP binding that reflect the “postulated” changes in structure leading to higher affinity of substrate, which, however, is not what we observed. Of the 22 cross-peaks in ^1H , ^{13}C correlation spectra of U-[^2H] Ile-[$\delta^{13}\text{CH}_3$] PAM-saturated WT-ATCase that are well resolved (belonging to either of T or R conformers), only 2 change position by at least 0.1 ppm in ^1H or 0.4 ppm in ^{13}C when MgATP is added. These two peaks, both from the regulatory chain, are almost certainly rIle12 and rIle86, which contact bound ATP directly (8). The other 20 peaks change positions by <0.025 ppm and 0.2 ppm in ^1H and ^{13}C , respectively; peaks obscured by overlap move very little as well. The fact that a set of 20 well dispersed peaks that includes probes in the c chain change

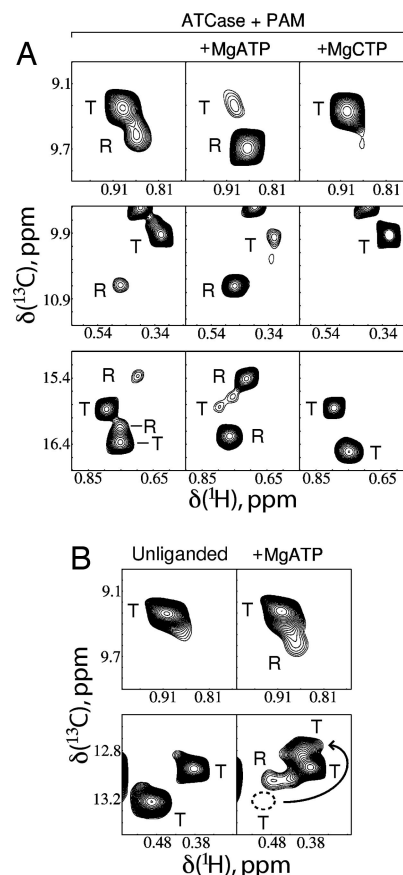


Fig. 4. Effect of nucleotides on R–T equilibrium. (A) Portions of spectra of U-[^2H] Ile-[$\delta^{13}\text{CH}_3$]-labeled WT ATCase (800 MHz, 37°C) saturated with PAM ([PAM]/[ATCase]_{monomer} = 58) but in the absence of nucleotide (*Left*) or with the addition of saturating amounts of either MgATP ([MgATP]/[ATCase]_{monomer} = 46; *Center*) or MgCTP ([MgCTP]/[ATCase]_{monomer} = 32; *Right*). Different regions of the ^1H - ^{13}C methyl-TROSY correlation map are highlighted in three rows. Correlations from R and T conformers are indicated by the letters “R” and “T,” respectively. (B) Portions of spectra of unliganded WT-ATCase without (*Left*) and with saturating MgATP (*Right*) ([MgATP]/[ATCase]_{monomer} = 23), illustrating the appearance of the R state conformation upon addition of ATP. Separate regions of the ^1H - ^{13}C spectrum are shown in each of two rows. Titration of ATP causes some of the T state correlations to move to new locations (*Lower*) as indicated by the arrow [denoting the displacement from the old position (dotted circle) to the new one]. Each of these spectra (unliganded and +MgATP) were recorded in 17 h, 800 MHz, at 37°C.

position very little in response to the addition of MgATP suggests that even if binding of nucleotide does induce alteration of R and T conformations, these changes must be minor, at least in parts of the molecule remote from the site of nucleotide binding. A similar situation also holds for MgCTP. Results from a second experiment are even more conclusive in favor of the MWC model. From the measured value $L = 300$ for WT-ATCase and the fact that MgATP shifts the equilibrium to the R state by 15- to 30-fold (see above), L' is predicted to be in the range of 10–20 in the presence of saturating amounts of ATP. Thus, the ATP-saturated R form of the enzyme is expected to constitute ≈ 5 –10% of the population (effective monomer concentration of 50–100 μM), and with the sensitivity of the NMR methodology used here, such a fraction should be observable, even for a system as large as ATCase. As predicted by our numerical estimates and the MWC model, Fig. 4*B* shows that the addition of saturating amounts of MgATP to unliganded WT-ATCase does indeed produce measurable amounts of R, estimated to be on the order of 5% on the basis of relative peak

and $K_1 = 0.14$ mM and $K_2 = 0.67$ mM at 24°C, pH 7 (28, 29). Deviations from the values obtained here likely arise from the different experimental conditions used because, for example, it is known that increasing temperature decreases nucleotide affinity (28).

In summary, we have presented an NMR study of how ligand binding affects the allosteric equilibrium in the 306-kDa enzyme ATCase. Despite the size of this system, high-sensitivity ^1H , ^{13}C correlation maps of Ile, Leu, and Val methyl groups could be obtained in very reasonable measuring times (<1 h) using protein concentrations <1 mM in monomer (<160 μM in complex), so that large numbers of spectra could be recorded as a function of different ligands or ligand concentrations. By using relations that describe linked binding equilibria, a value for $L = [T_6]/[R_6]$ could be calculated for WT ATCase, despite the fact that the R form of the protein is “invisible.” The effect of binding of a variety of different substrates or substrate analogues and nucleotides on the R–T equilibrium could be well understood within the framework of the MWC model, and the binding of MgATP to ATCase was shown unequivocally to alter this equilibrium, in contrast to observations from a series of other studies (12, 13, 25, 26). This work emphasizes the important role that modern solution NMR spectroscopy can play in providing quantitative information on systems with molecular masses in the hundreds of kilodaltons.

Materials and Methods

NMR Spectroscopy. All NMR samples were composed of protein (concentrations between 0.28 and 0.93 mM in monomer, corresponding to 0.05 to 0.16 mM in complex) dissolved in 50 mM Na-Hepes, 50 mM KCl, 20 mM 2-mercaptoethanol (pH 7.5, uncorrected), and 100% D_2O . Sample preparation details are provided in *SI Text*.

Methyl-TROSY (HMQC) spectra were recorded at 37°C on an 800-MHz Varian (Palo Alto, CA) Inova spectrometer equipped with a room-temperature pulsed-field gradient triple-resonance probe. The acquisition time in the indirect dimension typically was 26 ms with a spectral window of 9 (19) ppm, and the carbon carrier was placed at 12.5 (18) ppm for experiments recorded on Ile- $[\delta^{13}\text{CH}_3]$ and Ile- $[\delta^{13}\text{CH}_3]$, Leu, Val- $[\delta^{13}\text{CH}_3]$, $^{12}\text{CD}_3$ -labeled samples, respectively. ^1H and ^{13}C chemical shifts were referenced against 0.2 mM 2,2-dimethyl-2-silapentane-5-sulfonate (DSS), which was included in each sample. All data were processed with the NMRPipe/NMRDraw suite of programs (30).

Data Processing and Analysis. Relative populations of molecules in R and T states (PAM-saturated samples) were determined by fitting line-shapes of R–T cross-peaks with line-shape functions that are Lorentzian in each of the ^1H and ^{13}C dimensions. To minimize the contributions from differential relaxation in each of the two states, which can skew relative intensities, weighting functions were not used during data processing. ^1H transverse relaxation during the magnetization transfer steps in the HMQC scheme (two 3.6-ms intervals) that potentially also could influence relative intensities was accounted for by measuring ^1H T_2 values in separate experiments and “subtracting out” relaxation effects during these intervals.

Peak positions as a function of titrated ligand were extracted by using the peak picking facility in NMRDraw, with ^1H and ^{13}C chemical shifts from each peak treated separately. Titration curves obtained with PAM were fitted to the equation: $\Delta\omega_{\text{obs}} = \text{off} + \Delta\omega_{\text{PA}}f_{\text{B}}$, where $\Delta\omega_{\text{obs}}$ is the chemical-shift displacement at each ligand concentration relative to zero ligand added, $\Delta\omega_{\text{PA}}$ is the displacement upon addition of saturating amounts of ligand (A), the fraction of bound ligand, f_{B} , depends on the microscopic binding constant K_{D} because $f_{\text{B}} = \beta - (\beta^2 - 4[\text{P}_\text{T}][\text{PAM}_\text{T}])^{1/2} / (2[\text{P}_\text{T}])$ with $\beta = [\text{P}_\text{T}] + [\text{PAM}_\text{T}] + K_{\text{D}}$, $[\text{P}_\text{T}]$ is the total concentration of ATCase c chains ($=6[\text{ATCase}]$), $[\text{PAM}_\text{T}]$ is the total concentration of added PAM, and “off” is a small offset accounting for possible error in the chemical shift of the unliganded state, which shifts the entire binding curve up or down without altering its K_{D} -dependent profile (offset varies between -2 and 2 Hz). The parameters off and $\Delta\omega_{\text{PA}}$ were varied individually for each titration curve, and a single K_{D} was enforced globally.

Titration curves derived from addition of MgATP were fitted to a sequential binding model (see *SI Text*) where $\Delta\omega_{\text{obs}} = \text{off} + \Delta\omega_{\text{PA}}f_{\text{PA}} + \Delta\omega_{\text{PA}2}f_{\text{PA}2}$. Here, $\Delta\omega_{\text{PA}} = \omega_{\text{PA}} - \omega_0$, $\Delta\omega_{\text{PA}2} = \omega_{\text{PA}2} - \omega_0$, and ω_{PA} , $\omega_{\text{PA}2}$ are the chemical shifts when only one ligand is bound (but not the other) or both, respectively, where ω_0 is the chemical shift in the unliganded state and f_{PA} and $f_{\text{PA}2}$ are the mole fractions of singly and doubly bound regulatory dimers. Values of f_{PA} and $f_{\text{PA}2}$ are obtained by solving a cubic equation that is given in *SI Text*.

This work was supported by a grant from the Canadian Institutes of Health Research (CIHR) (to L.E.K.), by a CIHR postdoctoral fellowship (to A.V.), and by National Institute of General Medical Sciences Research Grant GM 12159 (to H.K.S.). L.E.K. holds a Canada Research Chair in Biochemistry.

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